

LEVEL II SCHWESER'S QuickSheet

CRITICAL CONCEPTS FOR THE 2013 CFA® EXAM

ETHICAL AND PROFESSIONAL STANDARDS

- I Professionalism**
 - I (A) Knowledge of the Law
 - I (B) Independence and Objectivity
 - I (C) Misrepresentation
 - I (D) Misconduct
- II Integrity of Capital Markets**
 - II (A) Material Nonpublic Information
 - II (B) Market Manipulation
- III Duties to Clients**
 - III (A) Loyalty, Prudence, and Care
 - III (B) Fair Dealing
 - III (C) Suitability
 - III (D) Performance Presentation
 - III (E) Preservation of Confidentiality
- IV Duties to Employers**
 - IV (A) Loyalty
 - IV (B) Additional Compensation Arrangements
 - IV (C) Responsibilities of Supervisors
- V Investment Analysis, Recommendations, and Action**
 - V (A) Diligence and Reasonable Basis
 - V (B) Communication with Clients and Prospective Clients
 - V (C) Record Retention
- VI Conflicts of Interest**
 - VI (A) Disclosure of Conflicts
 - VI (B) Priority of Transactions
 - VI (C) Referral Fees
- VII Responsibilities as a CFA Institute Member or CFA Candidate**
 - VII (A) Conduct in the CFA Program
 - VII (B) Reference to CFA Institute, CFA Designation, and CFA Program

QUANTITATIVE METHODS

Simple Linear Regression

Correlation:

$$r_{XY} = \frac{\text{cov}_{XY}}{(s_X)(s_Y)}$$

t-test for r ($n - 2$ df): $t = \frac{r\sqrt{n-2}}{\sqrt{1-r^2}}$

Estimated slope coefficient: $\frac{\text{cov}_{xy}}{\sigma_x^2}$

Estimated intercept: $\hat{b}_0 = \bar{Y} - \hat{b}_1\bar{X}$

Confidence interval for predicted Y-value:

$$\hat{Y} \pm t_c \times \text{SE of forecast}$$

Multiple Regression

$$Y_i = b_0 + (b_1 \times X_{1i}) + (b_2 \times X_{2i}) + (b_3 \times X_{3i}) + \varepsilon_i$$

- Test statistical significance of b_j ; $H_0: b_j = 0$.

$$t = \frac{\hat{b}_j}{s_{\hat{b}_j}}, \quad n - k - 1 \text{ df}$$

- Reject if $|t| > \text{critical } t$ or $p\text{-value} < \alpha$.
- Confidence Interval: $\hat{b}_j \pm (t_c \times s_{\hat{b}_j})$.
- SST = RSS + SSE.
- MSR = RSS / k .
- MSE = SSE / ($n - k - 1$).
- Test statistical significance of regression:
F = MSR / MSE with k and $n - k - 1$ df (1-tail).

- Standard error of estimate ($\text{SEE} = \sqrt{\text{MSE}}$).
Smaller SEE means better fit.
- Coefficient of determination ($R^2 = \text{RSS} / \text{SST}$).
% of variability of Y explained by X's; higher R^2 means better fit.

Regression Analysis—Problems

- Heteroskedasticity. Non-constant error variance.
Detect with Breusch-Pagan test. Correct with White-corrected standard errors.
- Autocorrelation. Correlation among error terms. Detect with Durbin-Watson test; positive autocorrelation if $DW < d_L$. Correct by adjusting standard errors using Hansen method.
- Multicollinearity. High correlation among Xs.
Detect if F-test significant, t-tests insignificant.
Correct by dropping X variables.

Model Misspecification

- Omitting a variable.
- Variable should be transformed.
- Incorrectly pooling data.
- Using lagged dependent vbl. as independent vbl.
- Forecasting the past.
- Measuring independent variables with error.

Effects of Misspecification

Regression coefficients are biased and inconsistent, lack of confidence in hypothesis tests of the coefficients or in the model predictions.

Linear trend model: $y_t = b_0 + b_1t + \varepsilon_t$

Log-linear trend model: $\ln(y_t) = b_0 + b_1t + \varepsilon_t$

Covariance stationary: mean and var. don't change over time. To determine if a time series is covariance stationary, (1) plot data, (2) run an AR model and test correlations, and/or (3) perform Dickey Fuller test.

Unit root: coefficient on lagged dep. vbl. = 1. Series with unit root is not covariance stationary. First differencing will often eliminate the unit root.

Autoregressive (AR) model: specified correctly if autocorrelation of residuals not significant.

Mean reverting level for AR(1):

$$\frac{b_0}{(1 - b_1)}$$

RMSE: square root of avg. squared error.

Random Walk Time Series:

$$x_t = x_{t-1} + \varepsilon_t$$

Seasonality: indicated by statistically significant lagged err. term. Correct by adding lagged term.

ARCH: detected by estimating:

$$\hat{\varepsilon}_t^2 = a_0 + a_1\hat{\varepsilon}_{t-1}^2 + \mu_t$$

Variance of ARCH series:

$$\hat{\sigma}_{t+1}^2 = \hat{a}_0 + \hat{a}_1\hat{\varepsilon}_t^2$$

ECONOMICS

bid-ask spread = ask quote – bid quote

Cross rates with bid-ask spreads:

$$\left(\frac{A}{C}\right)_{\text{bid}} = \left(\frac{A}{B}\right)_{\text{bid}} \times \left(\frac{B}{C}\right)_{\text{bid}}$$

$$\left(\frac{A}{C}\right)_{\text{offer}} = \left(\frac{A}{B}\right)_{\text{offer}} \times \left(\frac{B}{C}\right)_{\text{offer}}$$

Currency arbitrage: “Up the bid and down the ask.”

Forward premium = (forward price) – (spot price)
= $F - S_0$

Value of fwd currency contract prior to expiration:

$$V_t = \frac{(\text{FP}_t - \text{FP})(\text{contract size})}{\left[1 + R\left(\frac{\text{days}}{360}\right)\right]}$$

Covered interest rate parity:

$$F = \frac{\left[1 + R_A\left(\frac{\text{days}}{360}\right)\right]}{\left[1 + R_B\left(\frac{\text{days}}{360}\right)\right]} S_0$$

Uncovered interest rate parity:

$$E(S_t) = \text{expected spot rate at time } t$$

$$= \left(\frac{1 + R_A}{1 + R_B}\right)^t (S_0)$$

Fisher relation:

$$(1 + R_{\text{nominal}}) = (1 + R_{\text{real}})[1 + E(\text{inflation})]$$

$$R_{\text{nominal}} \cong R_{\text{real}} + E(\text{inflation})$$

International Fisher Relation:

$$\frac{(1 + R_{\text{nominal A}})}{(1 + R_{\text{nominal B}})} = \frac{[1 + E(\text{inflation}_A)]}{[1 + E(\text{inflation}_B)]}$$

$$R_{\text{nominal A}} - R_{\text{nominal B}} \cong E(\text{inflation}_A) - E(\text{inflation}_B)$$

Relative Purchasing Power Parity: High inflation rates leads to currency depreciation.

$$S_t = S_0 \left[\frac{1 + \text{inflation}_A}{1 + \text{inflation}_B} \right]^t$$

$$\text{real exchange rate} = S_t \left[\frac{\text{CPI}_B}{\text{CPI}_A} \right]$$

Profit on FX Carry Trade = interest differential – change in the spot rate of investment currency.

Mundell-Fleming model: Impact of monetary and fiscal policies on interest rates & exchange rates. Under high capital mobility, expansionary monetary policy/restrictive fiscal policy → low interest rates → currency depreciation. Under low capital mobility, expansionary monetary policy/expansionary fiscal policy → current account deficits → currency depreciation.

Dornbusch overshooting model: Restrictive monetary policy → short-term appreciation of currency, then slow depreciation to PPP value.

Labor Productivity:

$$\text{output per worker } Y/L = T(K/L)^\alpha$$

Growth Accounting:

$$\begin{aligned} &\text{growth rate in potential GDP} \\ &= \text{long-term growth rate of technology} \\ &\quad + \alpha (\text{long-term growth rate of capital}) \\ &\quad + (1 - \alpha) (\text{long-term growth rate of labor}) \\ &\text{growth rate in potential GDP} \\ &= \text{long-term growth rate of labor force} \\ &\quad + \text{long-term growth rate in labor productivity} \end{aligned}$$

Classical Growth Theory

- Real GDP/person reverts to subsistence level.

Neoclassical Growth Theory

- Sustainable growth rate is a function of population growth, labor's share of income, and the rate of technological advancement.