

# LEVEL II SCHWEISER'S QuickSheet

## CRITICAL CONCEPTS FOR THE 2013 CFA® EXAM

### ETHICAL AND PROFESSIONAL STANDARDS

- I Professionalism
- I (A) Knowledge of the Law
- I (B) Independence and Objectivity
- I (C) Misrepresentation
- I (D) Misconduct
- II Integrity of Capital Markets
- II (A) Material Nonpublic Information
- II (B) Market Manipulation
- III Duties to Clients
- III (A) Loyalty, Prudence, and Care
- III (B) Fair Dealing
- III (C) Suitability
- III (D) Performance Presentation
- III (E) Preservation of Confidentiality
- IV Duties to Employers
- IV (A) Loyalty
- IV (B) Additional Compensation Arrangements
- IV (C) Responsibilities of Supervisors
- V Investment Analysis, Recommendations, and Action
- V (A) Diligence and Reasonable Basis
- V (B) Communication with Clients and Prospective Clients
- V (C) Record Retention
- VI Conflicts of Interest
- VI (A) Disclosure of Conflicts
- VI (B) Priority of Transactions
- VI (C) Referral Fees
- VII Responsibilities as a CFA Institute Member or CFA Candidate
- VII (A) Conduct in the CFA Program
- VII (B) Reference to CFA Institute, CFA Designation, and CFA Program

### QUANTITATIVE METHODS

#### Simple Linear Regression

Correlation:

$$r_{XY} = \frac{\text{cov}_{XY}}{(s_X)(s_Y)}$$

t-test for r (n - 2 df):  $t = \frac{r\sqrt{n-2}}{\sqrt{1-r^2}}$

Estimated slope coefficient:  $\frac{\text{cov}_{xy}}{\sigma_x^2}$

Estimated intercept:  $\hat{b}_0 = \bar{Y} - \hat{b}_1 \bar{X}$

Confidence interval for predicted Y-value:

$$\hat{Y} \pm t_c \times \text{SE of forecast}$$

#### Multiple Regression

$$Y_i = b_0 + (b_1 \times X_{1i}) + (b_2 \times X_{2i}) + (b_3 \times X_{3i}) + \epsilon_i$$

- Test statistical significance of b;  $H_0: b = 0$ .

$$t = \frac{\hat{b}}{s_{\hat{b}}}, \text{ n - k - 1 df}$$

- Reject if  $|t| >$  critical t or p-value <  $\alpha$ .

- Confidence Interval:  $\hat{b}_j \pm (t_c \times s_{\hat{b}_j})$ .

- $SST = RSS + SSE$ .

- $MSR = RSS / k$ .

- $MSE = SSE / (n - k - 1)$ .

- Test statistical significance of regression:  $F = MSR / MSE$  with k and  $n - k - 1$  df (1-tail).

- Standard error of estimate (SEE =  $\sqrt{MSE}$ ). Smaller SEE means better fit.
- Coefficient of determination ( $R^2 = RSS / SST$ ). % of variability of Y explained by X's; higher  $R^2$  means better fit.

#### Regression Analysis—Problems

- Heteroskedasticity. Non-constant error variance. Detect with Breusch-Pagan test. Correct with White-corrected standard errors.
- Autocorrelation. Correlation among error terms. Detect with Durbin-Watson test; positive autocorrelation if  $DW < d_L$ . Correct by adjusting standard errors using Hansen method.
- Multicollinearity. High correlation among Xs. Detect if F-test significant, t-tests insignificant. Correct by dropping X variables.

#### Model Misspecification

- Omitting a variable.
- Variable should be transformed.
- Incorrectly pooling data.
- Using lagged dependent vbl. as independent vbl.
- Forecasting the past.
- Measuring independent variables with error.

#### Effects of Misspecification

Regression coefficients are biased and inconsistent, lack of confidence in hypothesis tests of the coefficients or in the model predictions.

**Linear trend model:**  $y_t = b_0 + b_1 t + \epsilon_t$

**Log-linear trend model:**  $\ln(y_t) = b_0 + b_1 t + \epsilon_t$

**Covariance stationary:** mean and var. don't change over time. To determine if a time series is covariance stationary, (1) plot data, (2) run an AR model and test correlations, and/or (3) perform Dickey Fuller test.

**Unit root:** coefficient on lagged dep. vbl. = 1. Series with unit root is not covariance stationary. First differencing will often eliminate the unit root.

**Autoregressive (AR) model:** specified correctly if autocorrelation of residuals not significant.

#### Mean reverting level for AR(1):

$$\frac{b_0}{(1 - b_1)}$$

**RMSE:** square root of avg. squared error.

#### Random Walk Time Series:

$$x_t = x_{t-1} + \epsilon_t$$

**Seasonality:** indicated by statistically significant lagged err. term. Correct by adding lagged term.

**ARCH:** detected by estimating:

$$\hat{\epsilon}_t^2 = a_0 + a_1 \hat{\epsilon}_{t-1}^2 + \mu_t$$

Variance of ARCH series:

$$\hat{\sigma}_{t+1}^2 = \hat{a}_0 + \hat{a}_1 \hat{\epsilon}_t^2$$

### ECONOMICS

**bid-ask spread** = ask quote – bid quote

**Cross rates with bid-ask spreads:**

$$\left(\frac{A}{C}\right)_{\text{bid}} = \left(\frac{A}{B}\right)_{\text{bid}} \times \left(\frac{B}{C}\right)_{\text{bid}}$$

$$\left(\frac{A}{C}\right)_{\text{offer}} = \left(\frac{A}{B}\right)_{\text{offer}} \times \left(\frac{B}{C}\right)_{\text{offer}}$$

**Currency arbitrage:** "Up the bid and down the ask."

**Forward premium** = (forward price) – (spot price)

$$= F - S_0$$

**Value of fwd currency contract prior to expiration:**

$$V_t = \frac{(F_t - F)(\text{contract size})}{1 + R \left( \frac{\text{days}}{360} \right)}$$

**Covered interest rate parity:**

$$F = \frac{\left[ 1 + R_A \left( \frac{\text{days}}{360} \right) \right]}{\left[ 1 + R_B \left( \frac{\text{days}}{360} \right) \right]} S_0$$

**Uncovered interest rate parity:**

$$E(S_t) = \text{expected spot rate at time } t \\ = \left( \frac{1 + R_A}{1 + R_B} \right)^t (S_0)$$

**Fisher relation:**

$$(1 + R_{\text{nominal}}) = (1 + R_{\text{real}})[1 + E(\text{inflation})]$$

$$R_{\text{nominal}} \cong R_{\text{real}} + E(\text{inflation})$$

**International Fisher Relation:**

$$\frac{(1 + R_{\text{nominal A}})}{(1 + R_{\text{nominal B}})} = \frac{[1 + E(\text{inflation}_A)]}{[1 + E(\text{inflation}_B)]}$$

$$R_{\text{nominal A}} - R_{\text{nominal B}} \cong E(\text{inflation}_A) - E(\text{inflation}_B)$$

**Relative Purchasing Power Parity:** High inflation rates leads to currency depreciation.

$$S_t = S_0 \left[ \frac{1 + \text{inflation}_A}{1 + \text{inflation}_B} \right]^t$$

$$\text{real exchange rate} = S_t \left[ \frac{\text{CPI}_B}{\text{CPI}_A} \right]$$

**Profit on FX Carry Trade** = interest differential – change in the spot rate of investment currency.

**Mundell-Fleming model:** Impact of monetary and fiscal policies on interest rates & exchange rates. Under high capital mobility, expansionary monetary policy/restrictive fiscal policy → low interest rates → currency depreciation. Under low capital mobility, expansionary monetary policy/ expansionary fiscal policy → current account deficits → currency depreciation.

**Dornbusch overshooting model:** Restrictive monetary policy → short-term appreciation of currency, then slow depreciation to PPP value.

**Labor Productivity:**

$$\text{output per worker Y/L} = T(K/L)^\alpha$$

**Growth Accounting:**

growth rate in potential GDP

$$= \text{long-term growth rate of technology} \\ + \alpha \text{ (long-term growth rate of capital)} \\ + (1 - \alpha) \text{ (long-term growth rate of labor)}$$

growth rate in potential GDP

$$= \text{long-term growth rate of labor force} \\ + \text{long-term growth rate in labor productivity}$$

**Classical Growth Theory**

- Real GDP/person reverts to subsistence level.

**Neoclassical Growth Theory**

- Sustainable growth rate is a function of population growth, labor's share of income, and the rate of technological advancement.